

# How to Measure Drell-Yan TSSA Raw Asymmetry at $10^{-3}$ Level with a polarized proton target?

- The challenges of precision TSSA measurements
  - Detector acceptance \* efficiency varies  $\gg 1\%$  level over a few hours of operation under a given “target polarization” configuration
  - Very difficult to measure the relative beam on target(NH3) luminosity at  $\sim 10^{-3}$  level
    - Large beam x-y profile
    - small target size
    - Beam position/direction jitter ( $dX \sim 1\text{-}2\text{mm}$ ),
      - see <https://p25ext.lanl.gov/elog/Hardware/12>
    - non-uniform DC responses to large beam intensity fluctuations ( $\sim O(10\%)$ )
    - NH3 packing factor variation  $> \sim 1\%$  from target to target
    - Target polarization known to  $\sim O(3\text{-}4\%)$  level through NMR
    - Other variations, including target changes etc,  $\sim O(1\%)$
  - Frequent spin flip is hard/impossible
    - can't do what we are doing at RHIC and Jlab
    - Takes time to reach a stable polarization
    -
  - We must be able to measure raw TSSA at  $10^{-3}$  level for a given target polarization configuration
- A new approach needed

# The Normal Approach in “collider-mode”: RHIC, JLab etc.

Spin UP(1) and DOWN(2):

$A = \langle \text{pol} \rangle \times \text{physics asymmetry, } \sim O(1\%)$

$$dN_1(\phi) = N_1 \times (1 + A \times \cos(\phi))$$

$$dN_2(\phi) = N_2 \times (1 - A \times \cos(\phi))$$

$$R = N_1/N_2$$

Relative luminosity,

for E1039, this is the luminosity of beam on target, which is very hard to measure to  $\ll (0.1\%)$ !

$$A_{raw}(\phi) = (dN_1 - R \times dN_2) / (dN_1 + R \times dN_2) = A \times \cos(\phi)$$

Need precision measurements of relative luminosity, better than  $\sim O(0.1\%)$

$$\delta A_{raw} \sim (\delta R + X \dots)$$

# Reality: Not So Perfect Detector and Beam Controls

- Not so perfect detectors ( $dt \sim$  minutes) without fast spin flip ( $dT \ll$  minutes)
  - Polarized target spin-flip period  $\sim$  several hours
- Acceptance varies within the time of a fixed “target spin config.”
  - Time dependence
  - Dead and hot space points
  - Impossible to get to  $\ll 0.1\%$

$$dN_{Target}(\phi) = N_{Target}^0 (1 + P \times A \times \cos(\phi)) \times \epsilon_{target}(\phi, t)$$

- If target is not a pure proton, for e.g.  $NH_3$ , another background fraction “ $f_B$ ”, including all other supporting materials,

$$dN_{Target} = [N_1 + N_2 \times (1 + p \times A \times \cos(\phi))] \times \epsilon(\phi, t)$$

Background fraction:  
Varies target to target

$$f_B = \frac{N_1}{N_1 + N_2}$$

$$dN_{Target}(\phi) = N_{Target}^0 (f_B + (1 - f_B)(1 + P \times A \times \cos(\phi))) \times \epsilon(\phi, t)$$

DY events produced in “Target”

Target and  
time-  
dependent

Target  
variation

(space,time)  
variation

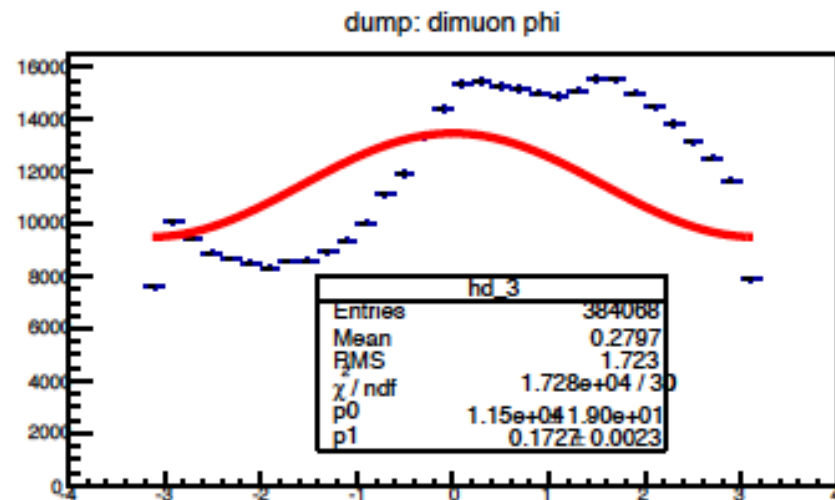
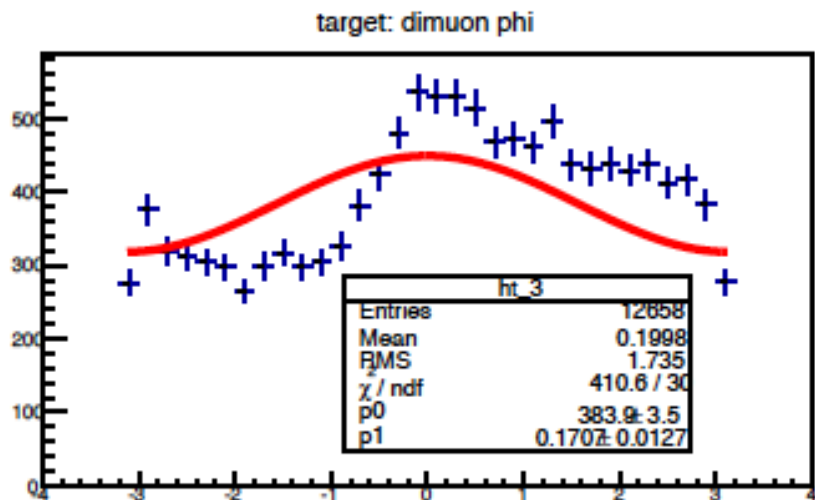
# False Detector Asymmetry Study

- Run-2 data dimuons (Roadset 57)
- Event selection:
  - $4 < \text{mass} < 7$
  - Target events:  $-250 < z_0 < -50\text{cm}$
  - Beam dump events:  $-50 < z_0 < 200\text{ cm}$
  - Track quality cuts
- Detector (relative) acceptance for DY events
  - Raw “spin” asymmetries
  - MC study need to correct target/beam dump acceptance difference
    - Trigger road bias
    - Detector acceptance corrections
  - Further reduce raw asymmetry via target spin-flip and Fmag/kMag field directions
    - Keep the same “target dipole field”, only change RF frequency to flip the direction of target polarization
    - Change the FMag and kMag field directions
    - Impact of Relative beam on target beam luminosity

## Run-2: Close Look of DY Phi Distributions

We need to get the false asymmetry  $\ll 0.1\%$  ~ expected raw spin asymmetry

$$y(\phi) = N \times (1 + A \times \cos(\phi))$$

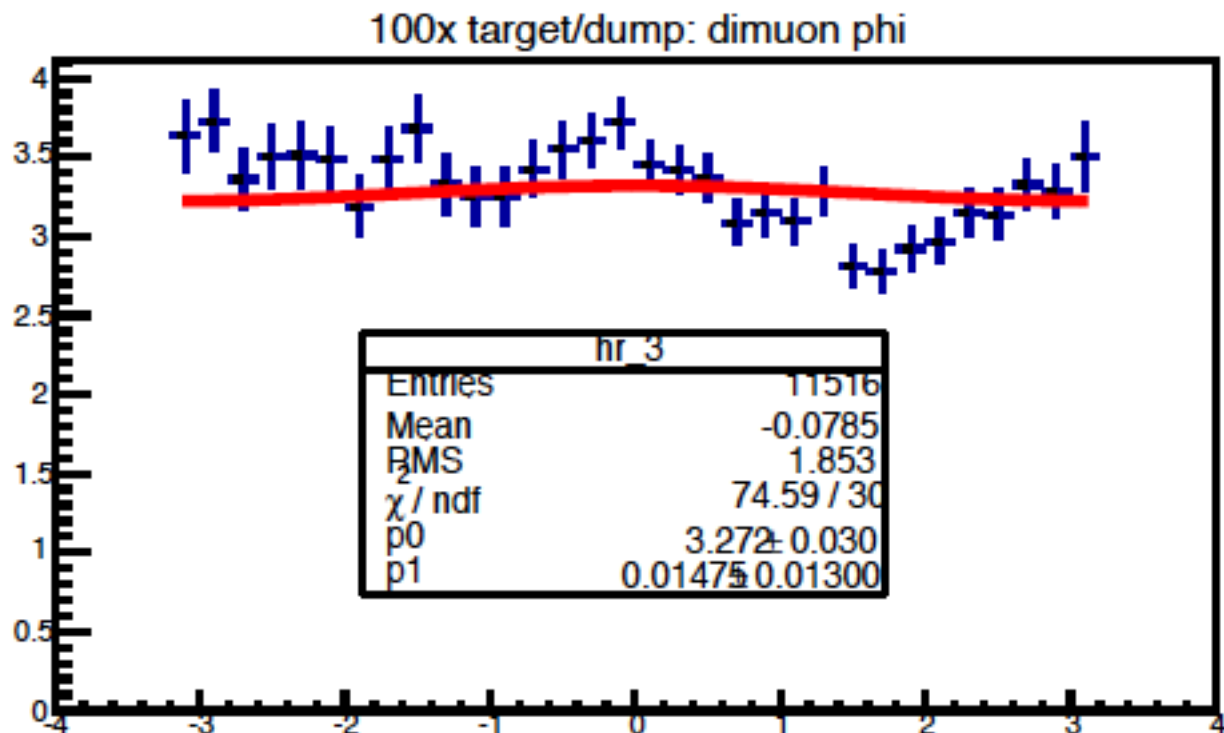


$A = 0.171 \pm 0.013 \rightarrow 100x \text{ too large!}$

Huge false asymmetry:  $\gg X10 \text{ sigma}$

# A New Approach

- Using the same DY events from beam dump to normalize the detector acceptance effects
  - Beam dump events, 100x statistics, similar muon acceptance
    - the stat\_err from reference  $\ll$  signal stat\_err
  - the beam dump asymmetry = 0
    - Known physics
  - normalize the beam intensity
    - Can achieve O(1%) on relative luminosity of beam on target, with dedicated telescopes
  - Identical timing and spatial variation of detector acceptance and efficiency for signal and background
    - Can achieve O(0.1%) on raw asymmetry



False asymmetry after normalization:

~ 1 sigma, good!

Need to run ~100x more MC or data to prove we can reach 0.001 level!

$$A = 0.015 \pm 0.013$$

# How it works?

$$dN_{Target}(\phi) = N_1 + N_2(1 + P \cdot A \cdot \cos(\phi))$$

$$= N_{Target}^0(f_B + (1 - f_B)(1 + P \cdot A \cdot \cos(\phi))) \times \epsilon(\phi, t)$$

$$dN_{Dump}(\phi) = N_{Dump}^0 \times \epsilon(\phi, t)$$

$$f_B \equiv \frac{N_1}{N_1 + N_2}$$

If we use the same DY dimuon events (mass, pT, xF etc) from Target and Dump:

- the time-dependent detector acceptance variations are mostly canceled out
- The small difference can be corrected with MC and data by using the muons measured in the same phase space
- **Much reduced requirements on relative lumi, background fraction, target polarization measurements**
  - sufficient at O(1%) level.

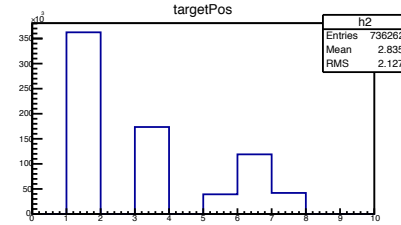
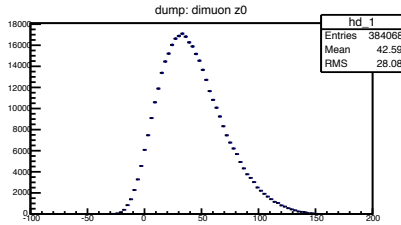
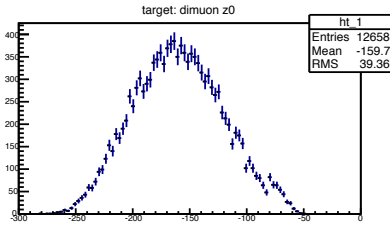
$$\Delta R(\phi) = dN_{Target}(\phi) / dN_{Dump}(\phi)$$

$$\Delta R(\phi) = \frac{N_{Target}^0}{N_{Dump}^0} (f_B + (1 - f_B)(1 + P \times A \times \cos(\phi))) \times (\epsilon_{target}(\phi, t) / \epsilon_{dump}(\phi, t))$$

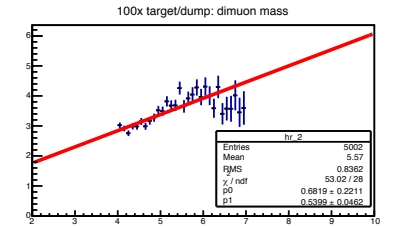
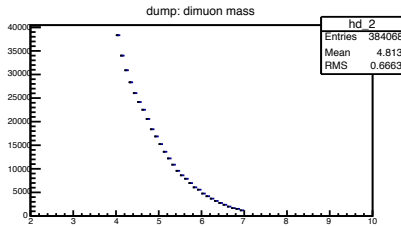
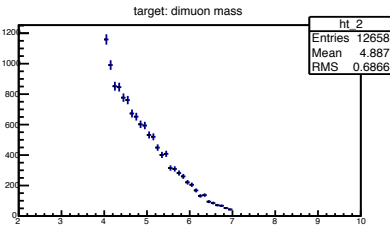
$$\Delta R(\phi) = \frac{N_{Target}^0}{N_{Dump}^0} (f_B + (1 - f_B)(1 + P \times A \times \cos(\phi)))$$

# Run-2 DY Dimuon (Roadset 57): all targets

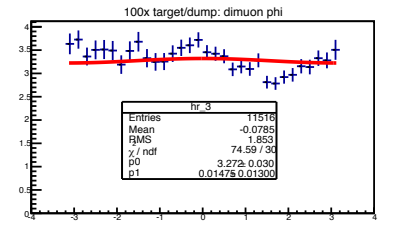
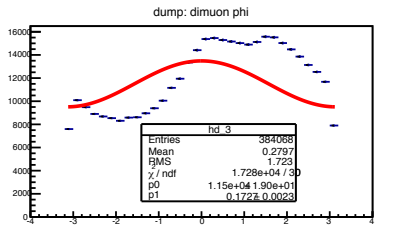
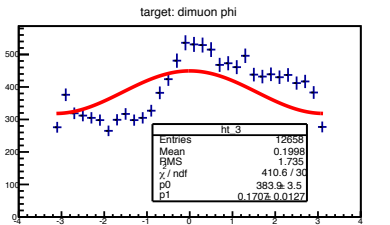
vtxZ



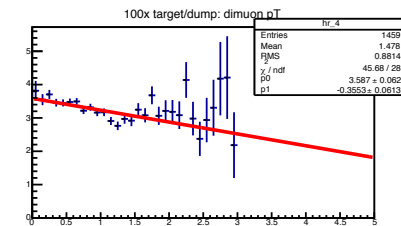
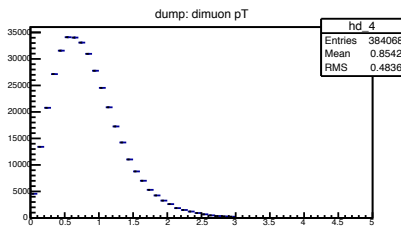
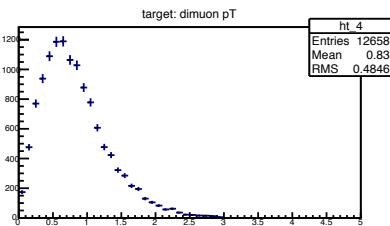
$4 < m < 7$



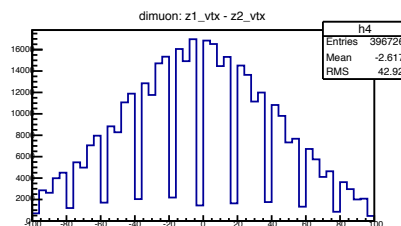
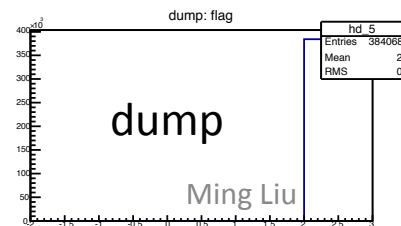
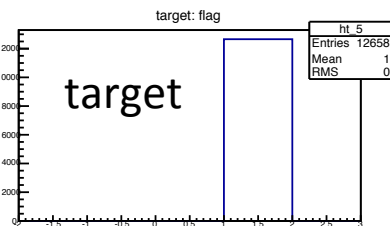
phi



pT



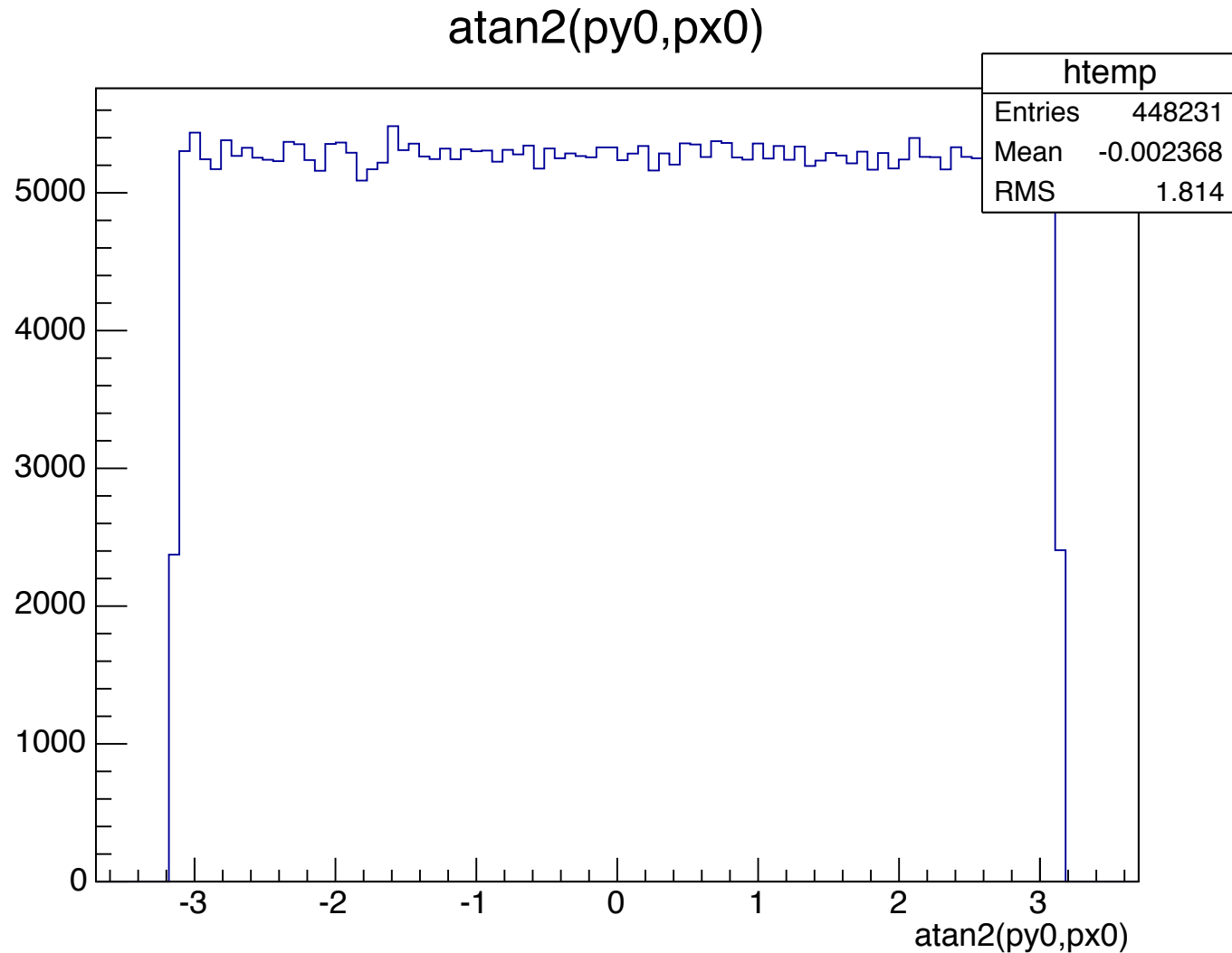
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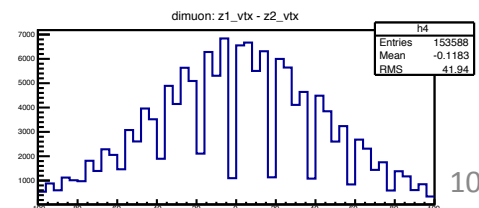
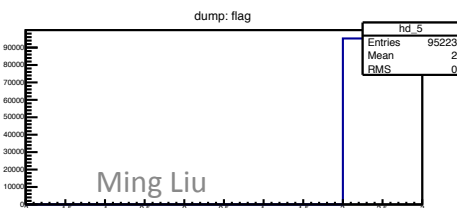
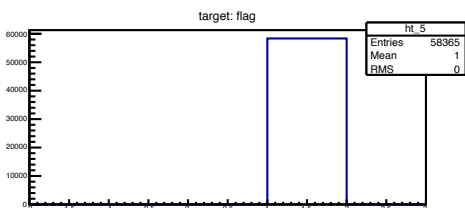
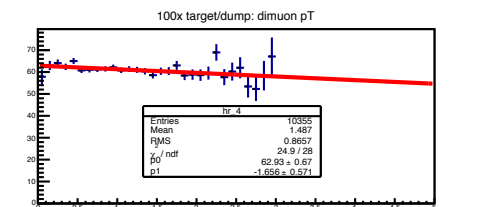
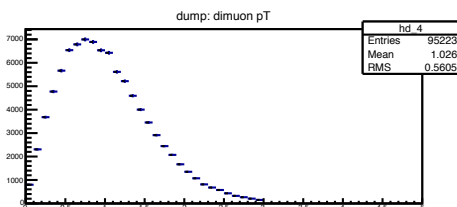
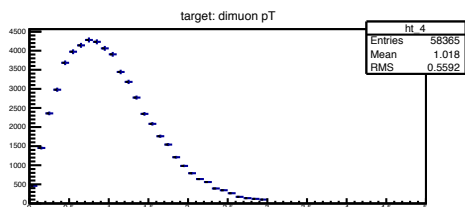
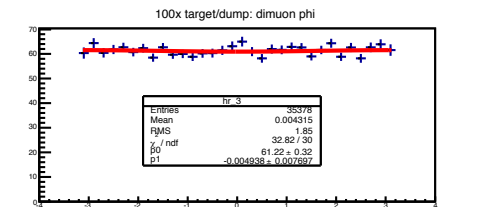
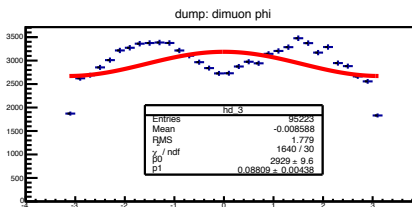
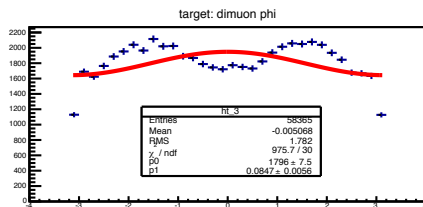
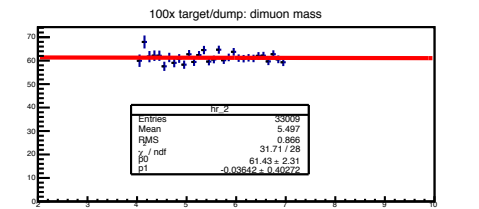
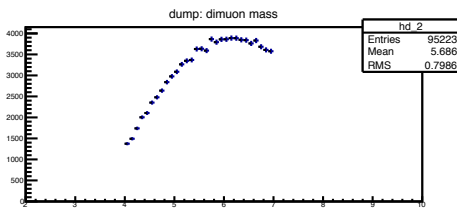
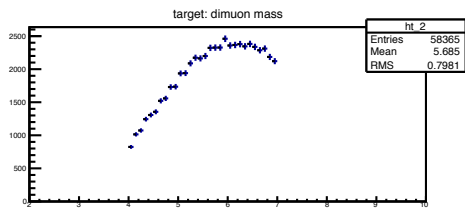
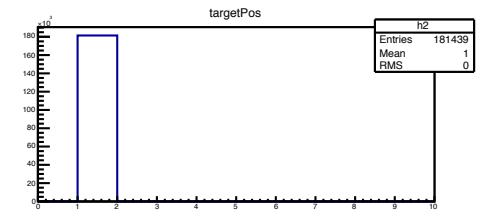
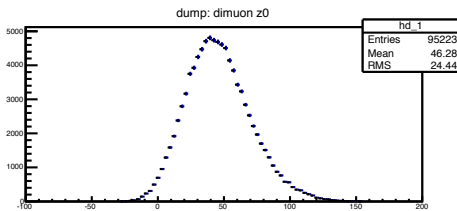
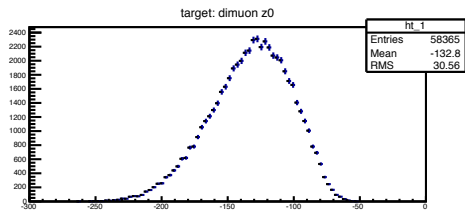
Ming Liu



# J/Psi MC at Production: Phi



# Drell-Yan MC: H and Dump symmetric distributions



# Future Work for improvements

- Detailed MC simulation with the new polarized target position
  - Prove the systematic error can be controlled to  $O(0.1\%)$
  - Target/Dump DY acceptance correction study
  - 100x more MC events to reach  $O(0.1\%)$  level precision
- Run2 and Run3 data analysis to understand and correct the large asymmetry
  - Beam axis, directions
  - Detector response to instant beam fluctuations
  - Systematic reduction of the false asymmetry
- New beam position/direction monitoring instruments?
  - Summer shutdown work 2015?
- Beam on target luminosity telescope
  - Summer shutdown work 2015?



# Ming's T&E on Pol. DY LDRD

- T&E @20% level (for budget purpose)
  - Joint effort of (Kun + Ming)
- Focused efforts
  - Integration and transition from E906 to E1039
  - Simulations and optimization
  - Polarized target related work
- Progress
  - 2015 summer shutdown work plan
    - New relative luminosity telescopes etc.
    - Possible electrical and mechanical work in target area
  - Identify and develop experimental approach to do high precision spin asymmetry measurements
    - Simulations with optimal target positions
    - Using E906 data and MC to test and confirm new approaches
- Future work
  - Target test and installation
    - Pump and cryo
    - NMR
    - Calibration
  - Design and build the target actuator
  - Development of the target control and monitoring software
  - Trigger/DAQ optimization

# The Measured Asymmetry:

$$A_{\text{meas}} = \underbrace{f}_{\sim 0.1} \cdot P_T \cdot A_{\text{phy}} \quad P_T=0.8 \text{ target polarization}$$

for pure  $\text{NH}_3$  dilution factor:  $f = \frac{\text{polarized protons}}{^{14}\text{NH}_3} = \frac{3}{17} = 0.176$

In reality, need count all unpolarized material in beam's path,  $f=0.12\sim 0.14$ .

In JLab Hall B, deep-inelastic scattering data,  **$f=0.14$**  (eg1-dvcs).

$$\text{dilution factor } f = \frac{\text{polarized protons}}{\text{Al.} + \text{Kapton} + ^4\text{He} + ^{14}\text{NH}_3 + \text{NMR Coil} + \dots}$$

→ Need to control systematic uncertainty on measured asymmetry to  **$\delta(A)_{\text{meas}} \approx 0.1\%$**

## Extremely Challenging !!!

# Over two years of data collection, need to carefully monitor the changes of:

- Beam pulse intensity, duty factor, charge profile, halo...
- Target contents, Helium level, polarization...
- Trigger Eff. detector responses, DAQ dead time...
- Background. Track reconstruction Eff. ...

$$A_{meas} = \frac{\frac{N^{\uparrow}}{\mathcal{L}^{\uparrow}} - \frac{N^{\downarrow}}{\mathcal{L}^{\downarrow}}}{\frac{N^{\uparrow}}{\mathcal{L}^{\uparrow}} + \frac{N^{\downarrow}}{\mathcal{L}^{\downarrow}}} = \frac{N^{\uparrow} - N^{\downarrow} \cdot \frac{\mathcal{L}^{\uparrow}}{\mathcal{L}^{\downarrow}}}{N^{\uparrow} + N^{\downarrow} \cdot \frac{\mathcal{L}^{\uparrow}}{\mathcal{L}^{\downarrow}}}$$

→ Control raw false asymmetry:  $\delta(\mathbf{A})_{\text{raw}} \approx 0.1\%$

# Note from Andi and Pat

- Dilution factor
- Packing fraction
- Empty target (what is it)
- Study of background with distributed vs single target in E906
- Study e906 empty vs hole target (david task)
- 
- background contributions
- relative luminosity
- beam monitoring (90 degree monitor) luminosity measurement (measure intensity \* target mass)
- synchronize beam spill with NMR measurements (random or regular)
  - help us determine depol during spill
- beam asymmetry on target determined by spectrometer:
  - However: assumes symmetric response. Need to measure this.
  - E906 data analyzed. (david kleinjan)
- beam profile during spill
- time sync between DAQ and pol target (fast control vs Slow control)
- What do we need to record on spill by spill from target system.
- Design Labview for target system.
- Design interface between labview and DAQ; responsible for recording history
- influence of changing beam profile; as an example go from symmetric profile to asymmetric. What would be the limits we could see. Also matters for non homogeneous polarization.
- Rate dependence in spectrometer efficiency as a function of geometry. Does not cancel in 2<sup>nd</sup> order
- polarization and intensity connected. Over time pol decreases so need to find a way to have same intensity \* p product.
- beam angle:
-